



Bayesian sequential integration within a preclinical PK/PD modeling framework using rstan package

Lessons learned

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Drouville, Dragonfish
Drouville is a patient, graphic designer and artist from Argentina who has survived Multiple Myeloma and a relapse.



Interuniversity Institute for Biostatistics
and statistical Bioinformatics



Case Study and Aim

A novel **PK/PD model** has been developed to assess the **synergy** resulting from the co-administration of 2 compounds.

$$\frac{d\bar{R}_{it}}{dt} = k_{in} \left(1 - \frac{I_{max}C_{it}}{IC_{50} + C_{it}} \right) - k_{out}\bar{R}_{it}, \quad IC_{50,comb} = IC_{50} e^{\alpha D_{n,i} + \beta D_{e,i} D_{n,i}}$$

11 trials are integrated **sequentially**: the posteriors from one trial are used to determine the priors of the next trial.



Challenge: Performing a complex nonlinear hierarchical model on small data during the first integration steps may cause **practical identifiability issues**.

Aim: To study the **factors** influencing the results using **rstan**

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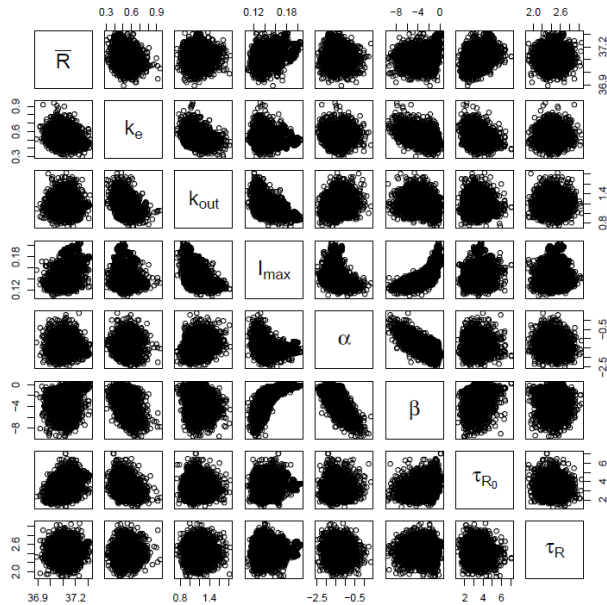


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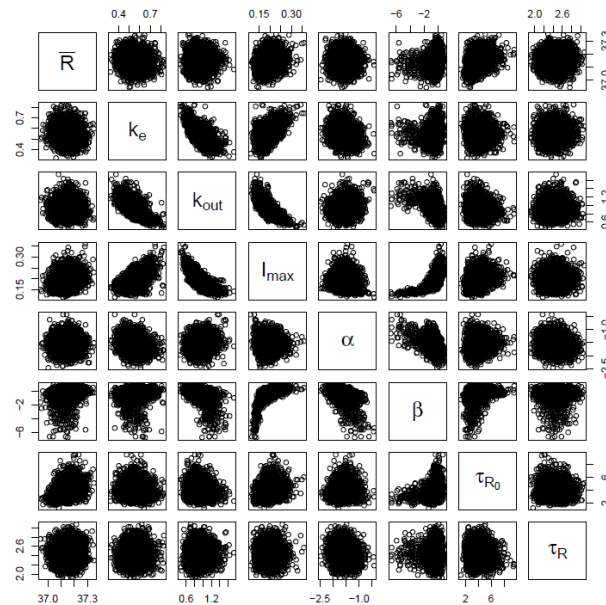
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Prior Specification

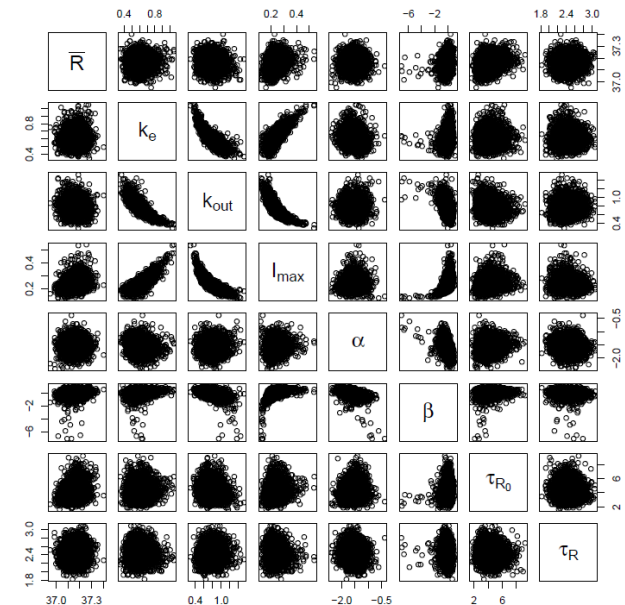
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Prior for I_{max} , SD=0.04



Prior for I_{max} , SD=0.29

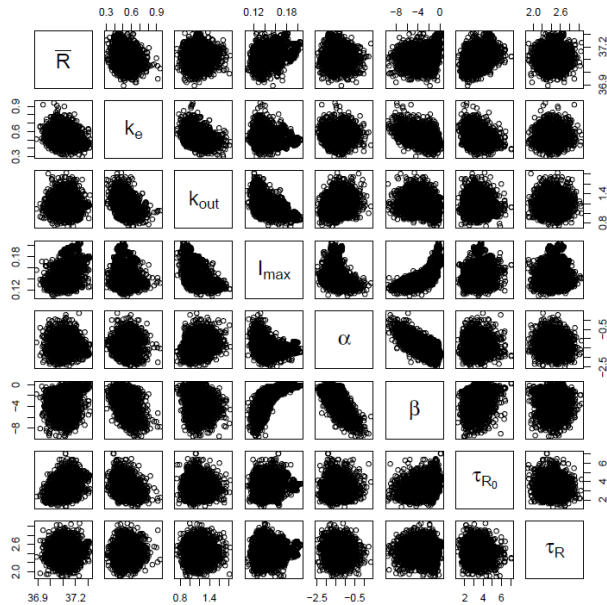


Parameter correlation increases with decreasing prior precision.
The correlated parameters compensate each other → biased estimates

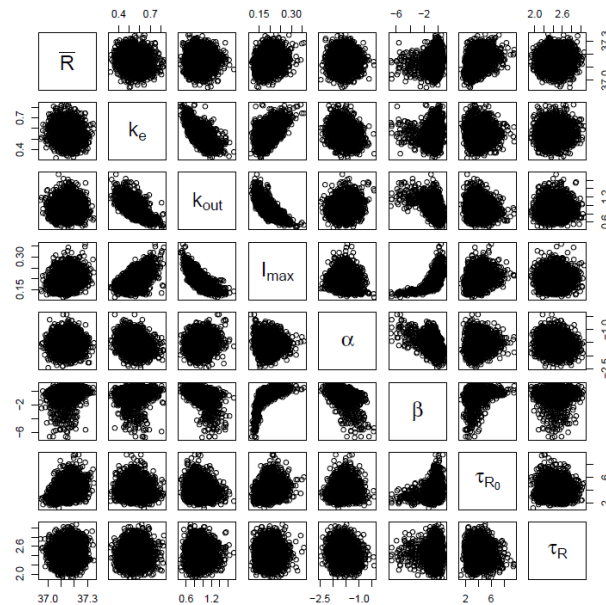
Take home message n.1 It is better to use informative priors, whenever possible

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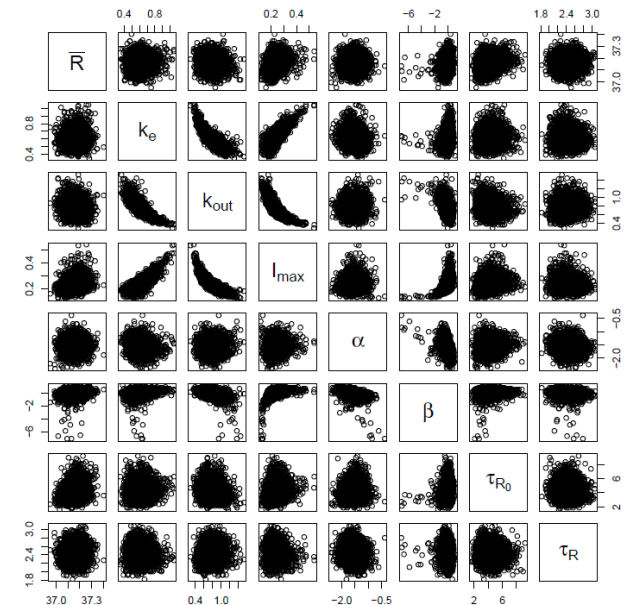
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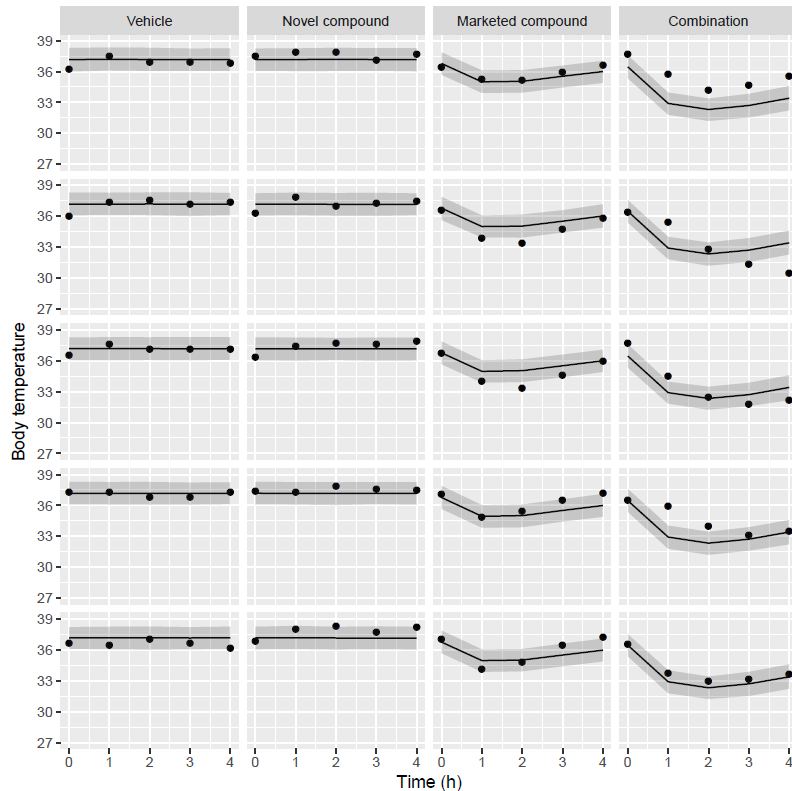
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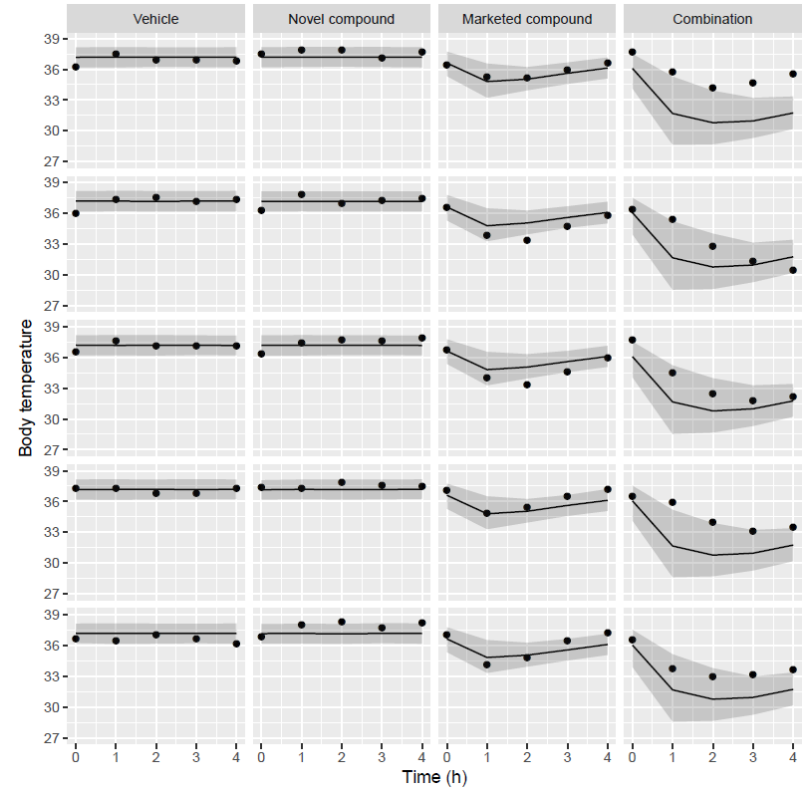
Choice of Random Effect

Posterior predictions and predictive intervals, trial 1

Random baseline model



Random k_{out} model

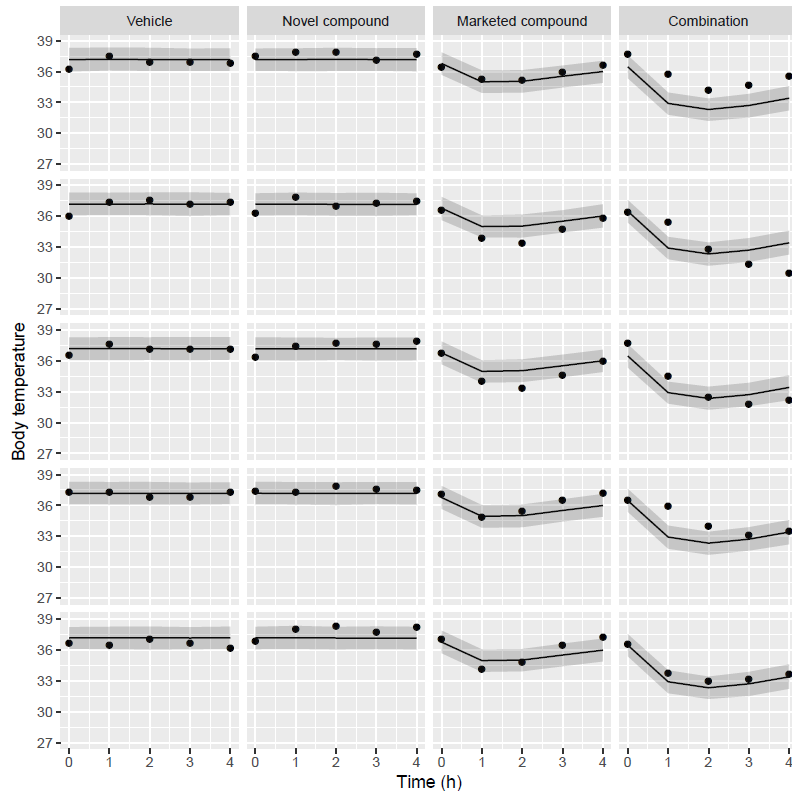


Take home message n.2 Better to allocate the random effect on a parameter that is not highly correlated with others, to avoid overcompensations

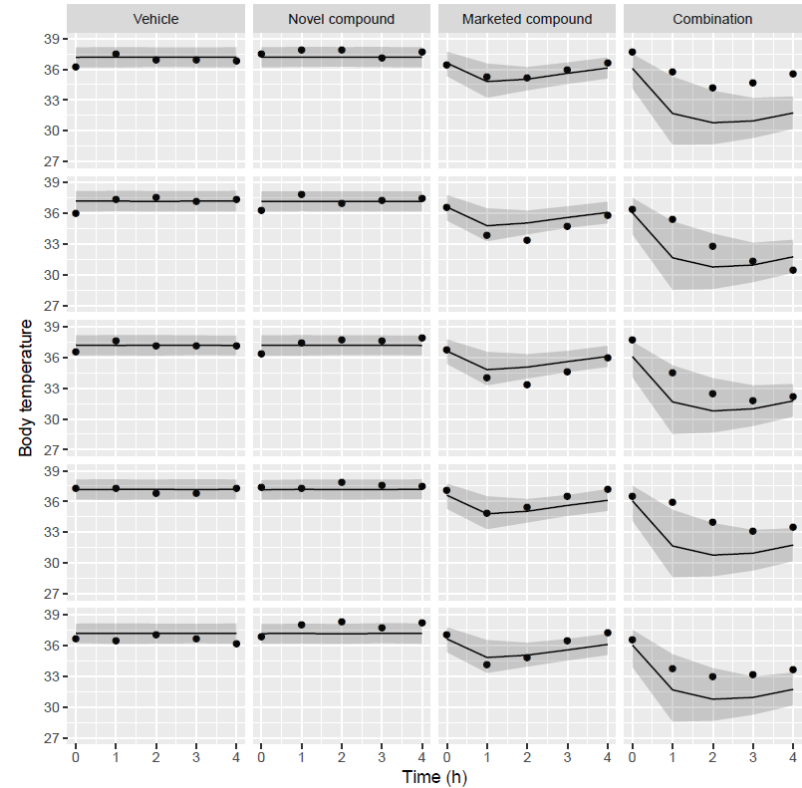
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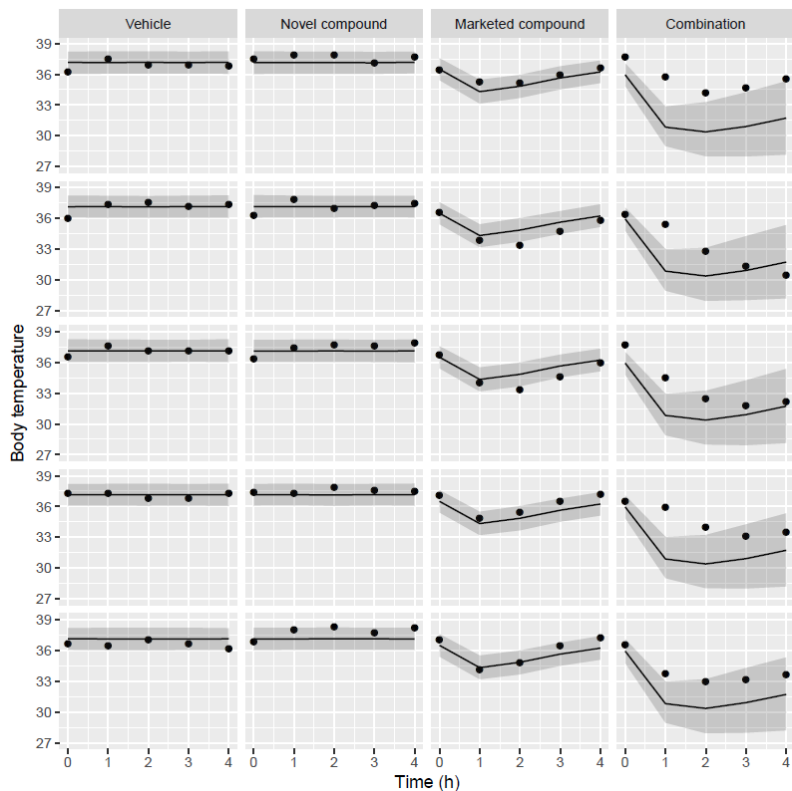


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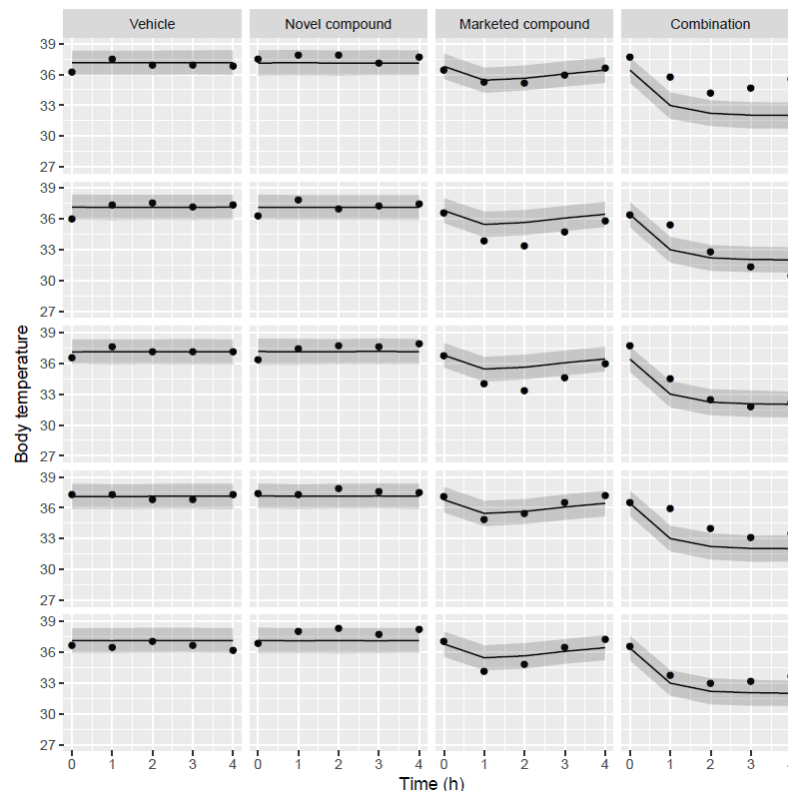
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One single dose assessed in each trial



Multiple doses assessed in each trial

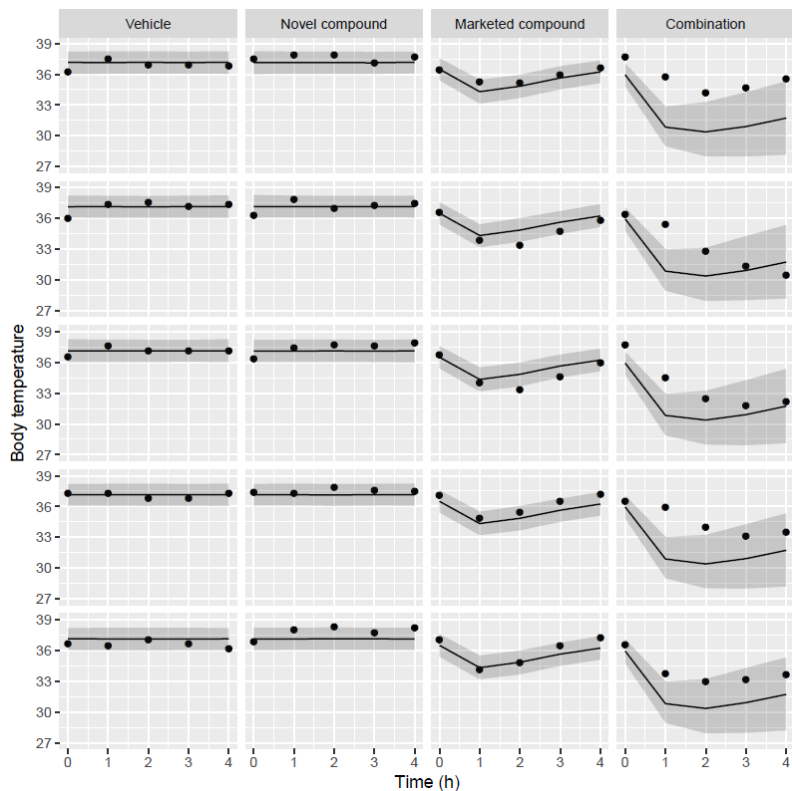


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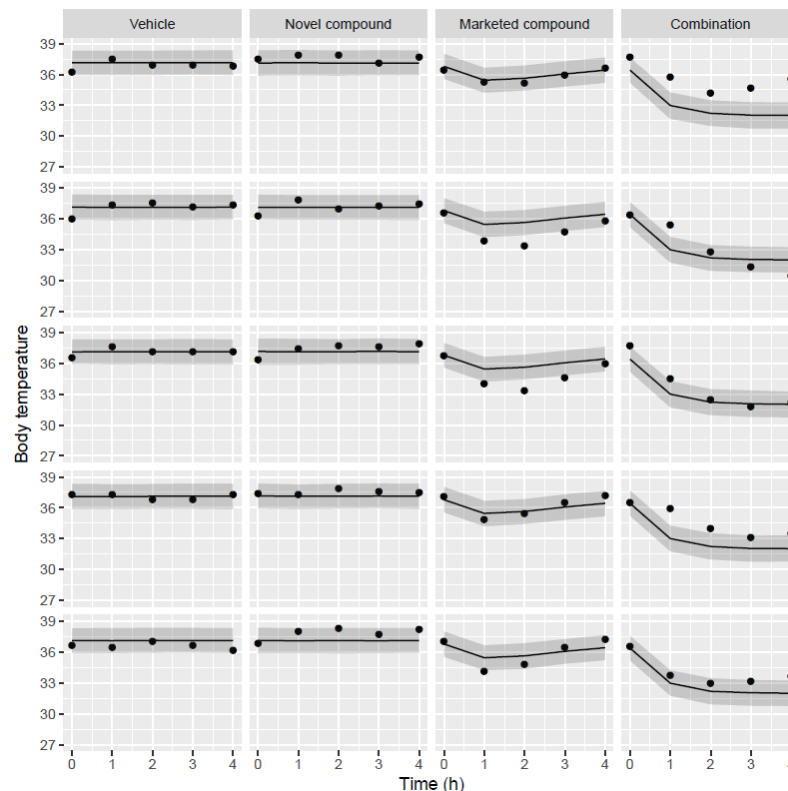
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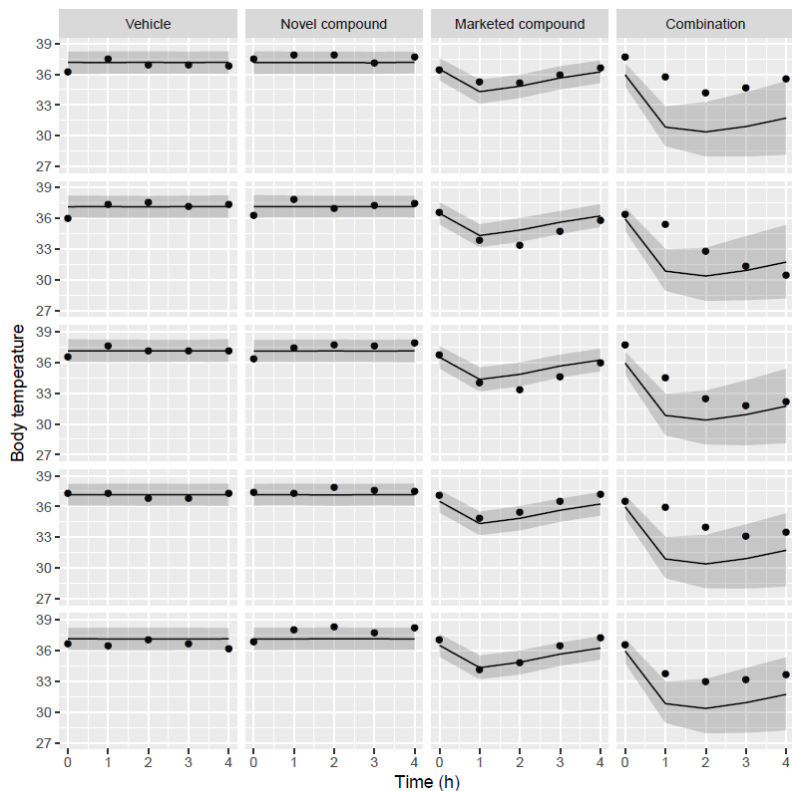


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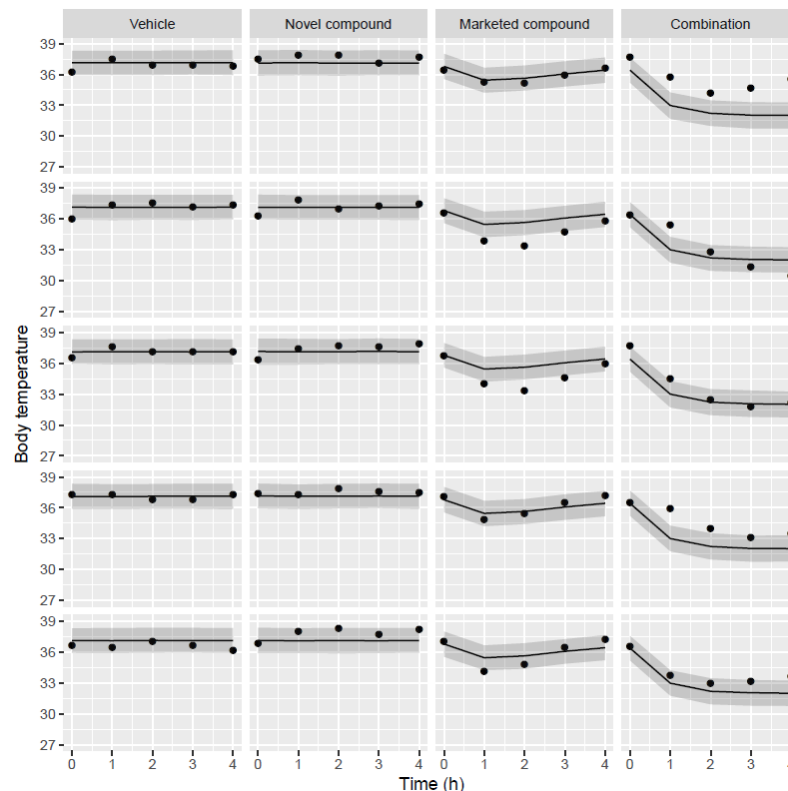
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Aim: To assess to what extent of model complexity the sequential integration deviates from the simple pooling

		Non-hierarchical	Hierarchical
Linear model	Informative	✓	✓
	Uninformative	✓	✓
1-comp PK model*	Informative	✓	✓
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* Linear kinetics, non-linear over time, sequential integration over doses

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